The Derivative Song (dy/dx)

words by Tom Lehrer
music: "There'll Be Some Changes Made"
by W. Benton Overstreet (1921)
(public domain)

You take a function of x and you call it y
Take any x-nought that you care to try
You make a little change and call it delta x
The corresponding change in y is what you find nex'
And then you take the quotient and now carefully
Send delta x to zero, and I think you'll see
That what the limit gives us, if our work all checks,
Is what we call dy/dx,
It's just dy/dx.

THE DERIVATIVE SONG

words by Tom Lehrer

music: "There'll be Some Changes Made" (public domain) by W. Benton Overstreet (original lyrics by Billy Higgins)

caption on screen

You take a function of x and you call it y	y = f(x)
Take any x-nought that you care to try	$y_{\scriptscriptstyle 0} = f(x_{\scriptscriptstyle 0})$
You make a little change and call it delta-x	$\Delta x = x - x_{_0}$
The corresponding change in y is what you find nex'	$\Delta y = y - y_{_0}$
And then you take the quotient and now carefully	$\frac{\Delta y}{\Delta x} = \frac{y - y_0}{x - x_0}$
Send delta-x to zero and I think you'll see	$\Delta x \rightarrow 0$
That what the limit gives us if our work all checks	$\lim_{\Delta x \to 0} \frac{\Delta y}{\Delta x}$
Is what we call dy/dx	$\lim_{\Delta x \to 0} \frac{\Delta y}{\Delta x} = \frac{dy}{dx}$
It's just dy/dx	$\frac{dy}{dx}$